

Bindings: a New Approach for co-simulation applied to System Design Verification Against Requirements

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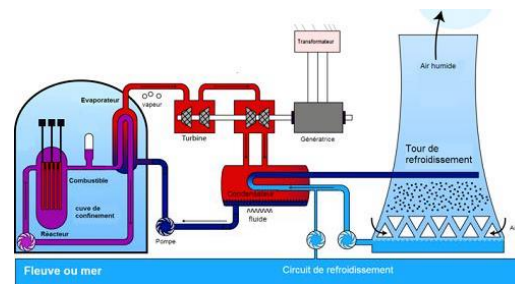
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Problem: how to efficiently verify complex system design against requirements ?

- Complex physical systems exhibit large numbers of
 - dynamic continuous states: physical states (temperature, pressure, mass flow...)
 - dynamic discrete states: operating modes (normal, dysfunctional, I&C...)
 - described by **multiple** models from **different** modelling tools

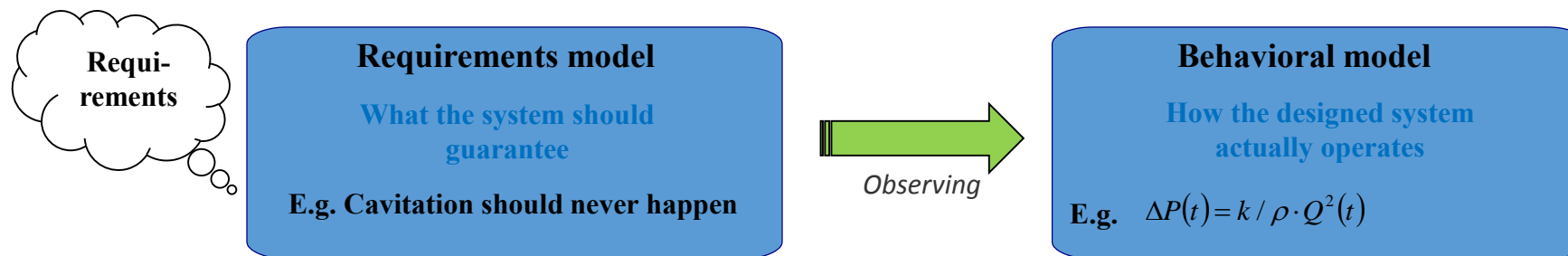
They are subject to large numbers of requirements

- And need many test scenarios for proper verification
- Difficulty: possible combinatorial explosion of situations to be explored.



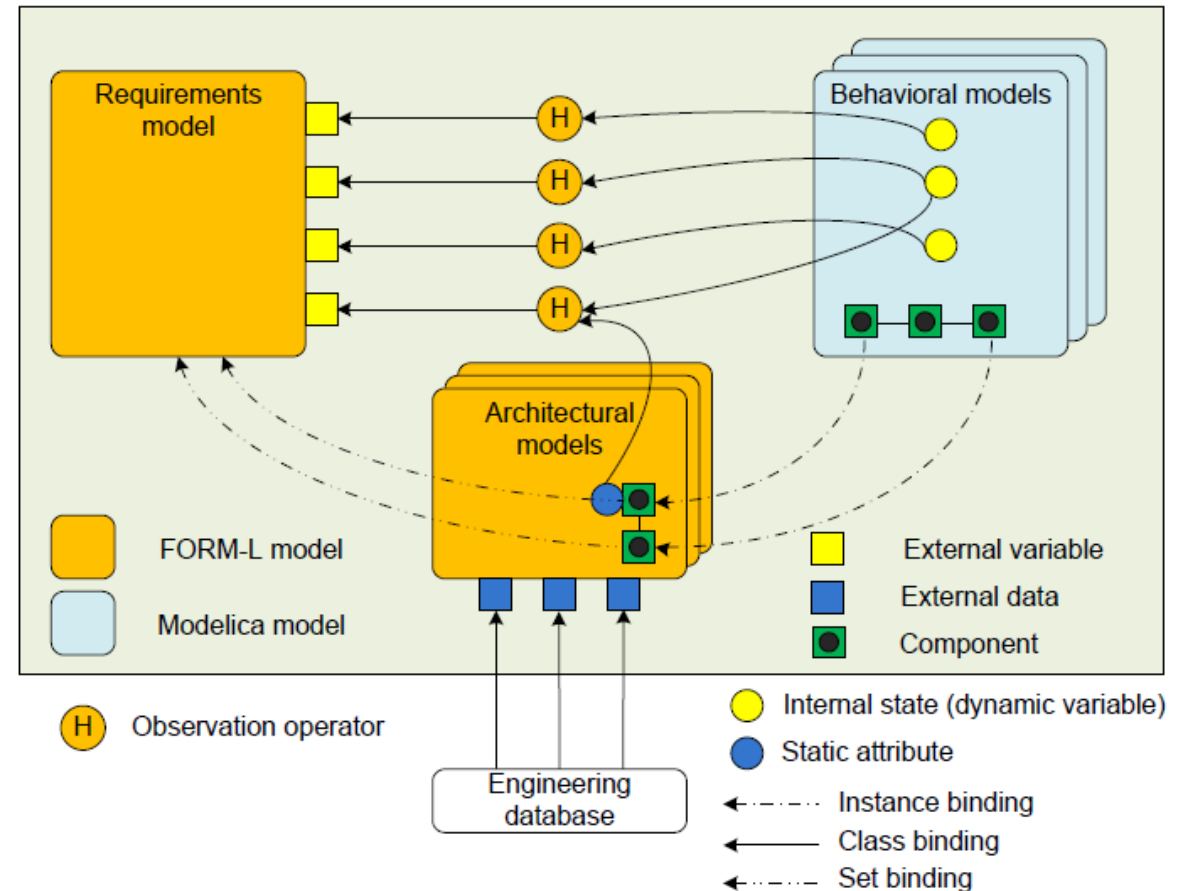
Solution: automate as much as possible the testing of complex systems

- How:
 - Build a formal model of the requirements
 - Build a physical model of the behavior of the system
 - Generate automatically test scenarios that comply with the assumptions made and the test coverage criteria
 - Use the requirements model as an observer of the behavioral model to automatically detect possible violations of the requirements



Purpose of this presentation: a method for automatic binding of models and a Python implementation

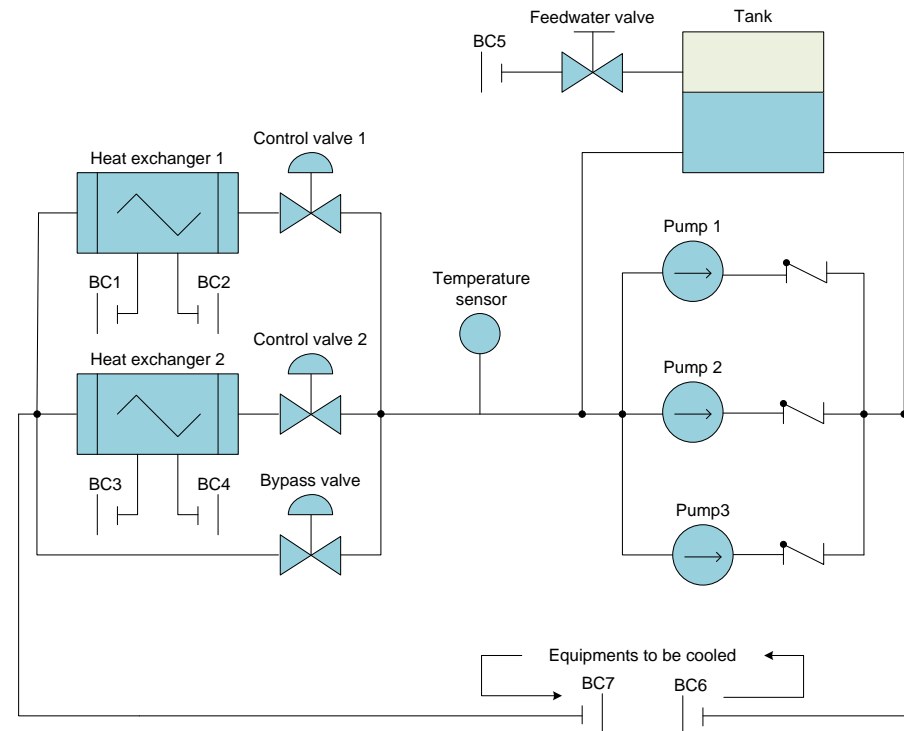
- The requirement model uses external variables that are computed by other models (so-called external models). The links between the external variables and the variables of the external models are called bindings.
- Problem to be solved:
The bindings should be generated automatically because large numbers of external variables are involved
- A method for the automatic generation of bindings is presented.
 - The method is independent of any modelling language
 - The current implementation uses Modelica for the requirements and the behavioral models
- The implementation is done with a Python script.



Modeling architecture outline

Example: cooling system of auxiliary equipment of a power plant

- Objective of the cooling system: remove heat from large equipment units of a power plant.
- System is critical for plant availability: in case of failure, the plant must be shutdown.

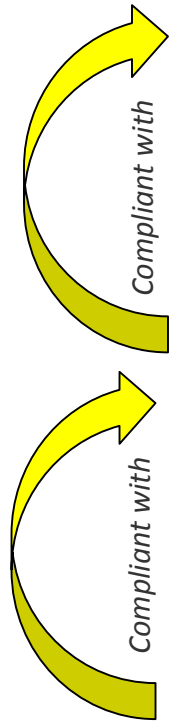


Architectural model of the cooling system
(ThermoSysPro, EDF)

Cooling system example: informal requirements

- Req. 1: 'The maximum heating power to be removed is 25 MW'.
- Req. 2: 'When they are in operation, pumps shall not cavitate'.
- Req. 3: 'The water temperature shall not vary by more than 10°C per hour'.
- Req. 4: 'When the system is in operation, there should be no less than two pumps in operation for more than 2 seconds. Violation shall not occur more than 3 times per year with a confidence rate of [a given percentage]'".
- etc. (other examples in the paper)

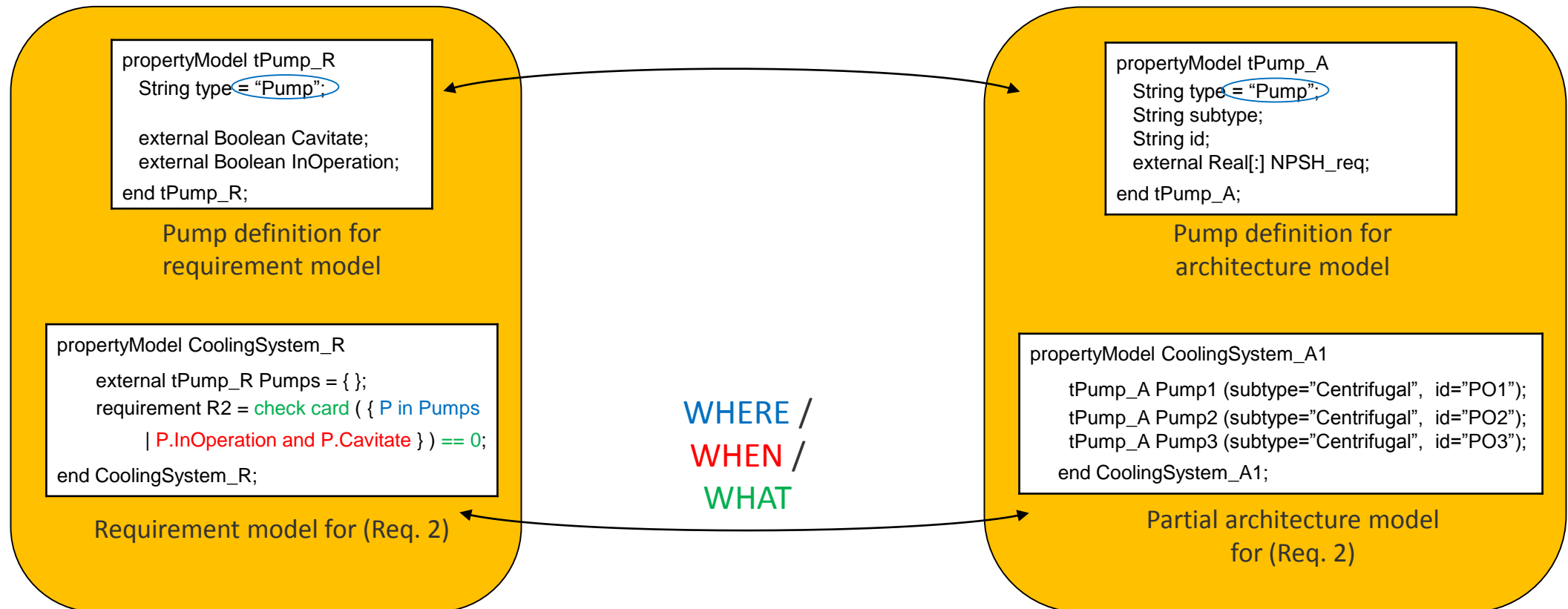
Building the verification model: basic principles



1. Formalize requirements using a **property modeling** language → **requirements model** (with ReqSysPro developed at EDF R&D)
Expert: operation engineer
2. Describe system design using the **same property modeling** language → **architecture model** (with ThermoSysPro developed at EDF R&D)
Expert: mechanical and system control engineer
3. Model dynamic physical behavior of the system using **mathematical modeling** → **behavioral model** (with ThermoSysPro developed at EDF R&D)
Expert: physicist (thermal-hydraulics, neutronics, combustion, etc.)

Binding between the requirements model and the architecture model (Set bindings)

‘When they are in operation, pumps should not cavitate’.



binding CoolingSystem_R1

```
bind_set [s1] (CoolingSystem_R.pumps = { CoolingSystem_A1.Pump_A });
...
```

end CoolingSystem_R1;

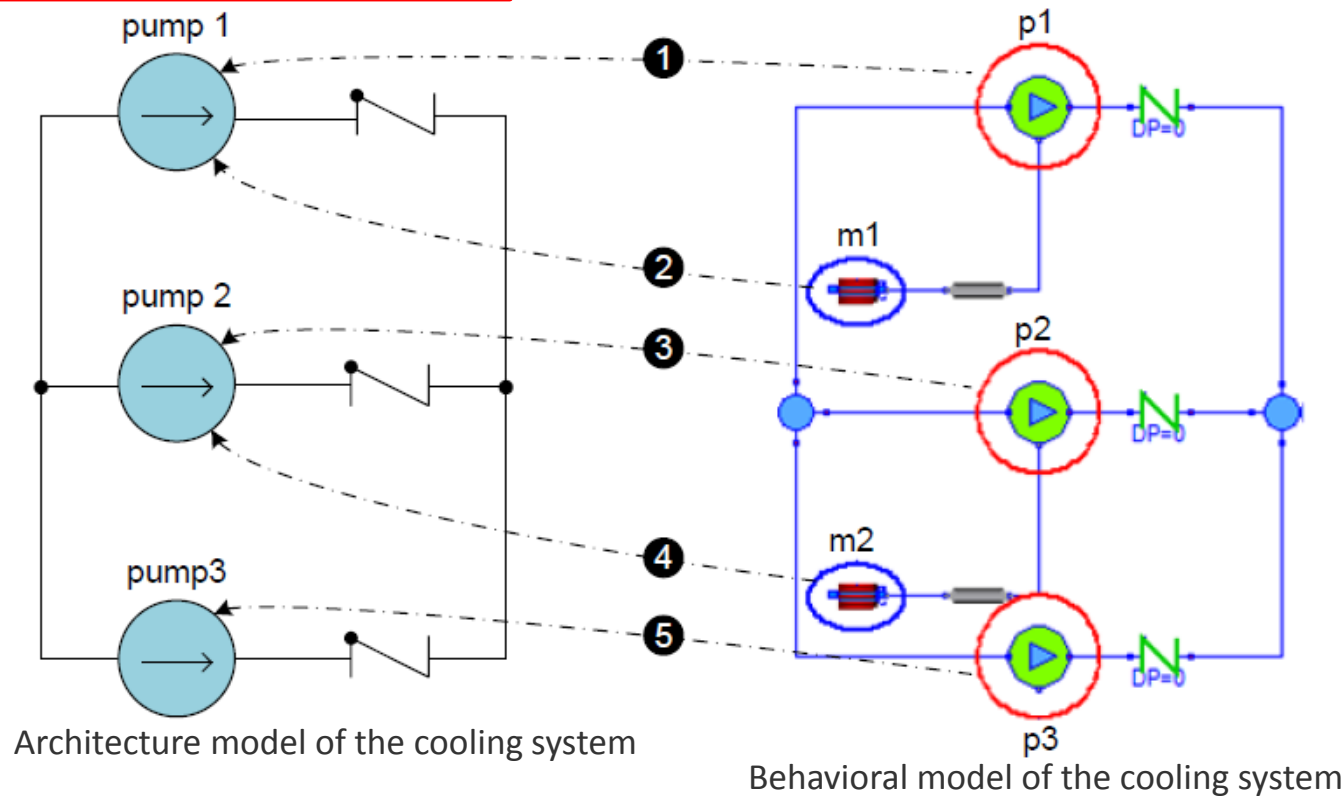
binding CoolingSystem_R2

```
bind_set (CoolingSystem_R.pumps = { CoolingSystem_A1.pump1, CoolingSystem_A1.pump2 });
...
```

end CoolingSystem_R2;

Binding between the architecture model and the behavioral model (Instance bindings)

'When they are in operation, pumps should not cavitate'.



binding CoolingSystem_A1

bind_instance i1 (CoolingSystem_A1.pump1={ CoolingSystem_B1.p1, CoolingSystem_B1.m1 });

bind_instance i2 (CoolingSystem_A1.pump2={ CoolingSystem_B1.p2, CoolingSystem_B1.m2 });

bind_instance i3 (CoolingSystem_A1.pump3={ CoolingSystem_B1.p3 });

i1.**role** (CoolingSystem_B1.m1) = "inOperation";

i2.**role** (CoolingSystem_B1.m2) = "inOperation";

i3.**role** (CoolingSystem_B1.p3) = "inOperation";

end CoolingSystem_A1;

Binding between the requirements model and the observation operators (Variable bindings)

'When they are in operation, pumps should not cavitate'.

```
binding Pump_R1
  bind_variable v1 (Pump_R.inOperation = [ Obs_PumpStarted_1, Obs_PumpStarted_2,
                                           Obs_PumpStarted_3 ]);
  bind_variable [v2] (Pump_R.cavitate = [ Obs_PumpCavitating ]);
  v1.role = "inOperation";
  ...
end Pump_R1;
```

```
propertyModel tPump_R
String type = "Pump";

external Boolean Cavitate;
external Boolean InOperation;
end tPump_R;
```

Pump definition for requirement model

```
propertyModel CoolingSystem_R

external tPump_R Pumps = { };
requirement R2 = check card ( { P in Pumps
| P.InOperation and P.Cavitate } ) == 0;
end CoolingSystem_R;
```

Requirement model for (Req. 2)

WHERE /
WHEN /
WHAT

```
function Obs_PumpCavitating
input Real P "Pressure at the inlet of the pump";
input Real q "Volumetric flow through the pump";
input NPSH_req "Required NPSH";
output Boolean pumpCavitating "Boolean telling whether the pump is cavitating or not";

algorithm
  pumpCavitating := (P < NPSH_req[q]);
end Obs_PumpCavitating;
```

Observation operator for pump cavitation

```
function Obs_PumpStarted_1
input Real V "Supply voltage";
output Boolean pumpStarted "Boolean telling whether the pump is started or not";

algorithm
  pumpStarted := (V > 0); // Threshold is zero
end Obs_PumpStarted_1;
```

Observation operator for pump in operation

Binding between the observation operators and the behavioral model (Input bindings)

'When they are in operation, pumps should not cavitate'.

```
binding PowerPlant_Lib
bind_input [i1] (Obs_PumpStarted_1 = (V = ElectricMotor.V));
bind_input [i2] (Obs_PumpStarted_2 = (Cm = CentrifugalPump.Cm));
bind_input [i3] (Obs_PumpStarted_3 = (q = CentrifugalPump.q));
bind_input [i4] (Obs_PumpCavitating = (P = CentrifugalPump.Pin, q = CentrifugalPump.q,
NPSH_req = Pump_A.NPSH_req);
...
end PowerPlant_Lib;
```

```
class CentrifugalPump
  Real Cm "Motor torque";
  Real omega "Angular velocity of the rotor";
  Real Pin "Pressure at the inlet";
  Real q "Volumetric flow rate";
  equation
  ...
end CentrifugalPump;
```

```
class Pump_A
  String id;
  external Real NPSH_req[:, 2];
end Pump_A;
```

Behavioral model of the cooling system

```
function Obs_PumpCavitating
  input Real P "Pressure at the inlet of the pump";
  input Real q "Volumetric flow through the pump";
  input NPSH_req "Required NPSH";
  output Boolean pumpCavitating "Boolean telling
  whether the pump is cavitating or not";
  algorithm
    pumpCavitating := (P < NPSH_req[q]);
  end Obs_PumpCavitating;
```

Observation operator for pump cavitation

```
function Obs_PumpStarted_1
  input Real V "Supply voltage";
  output Boolean pumpStarted "Boolean telling
  whether the pump is started or not";
  algorithm
    pumpStarted := (V > 0); // Threshold is zero
  end Obs_PumpStarted_1;
```

Observation operator for pump in operation

Binding algorithm

'When they are in operation, pumps should not cavitate'.

Let us consider:

- an external variable y declared in a class R : $R.y$,
- an external set s of objects of type R declared in an object O : $O.s$

Input data of algorithm:

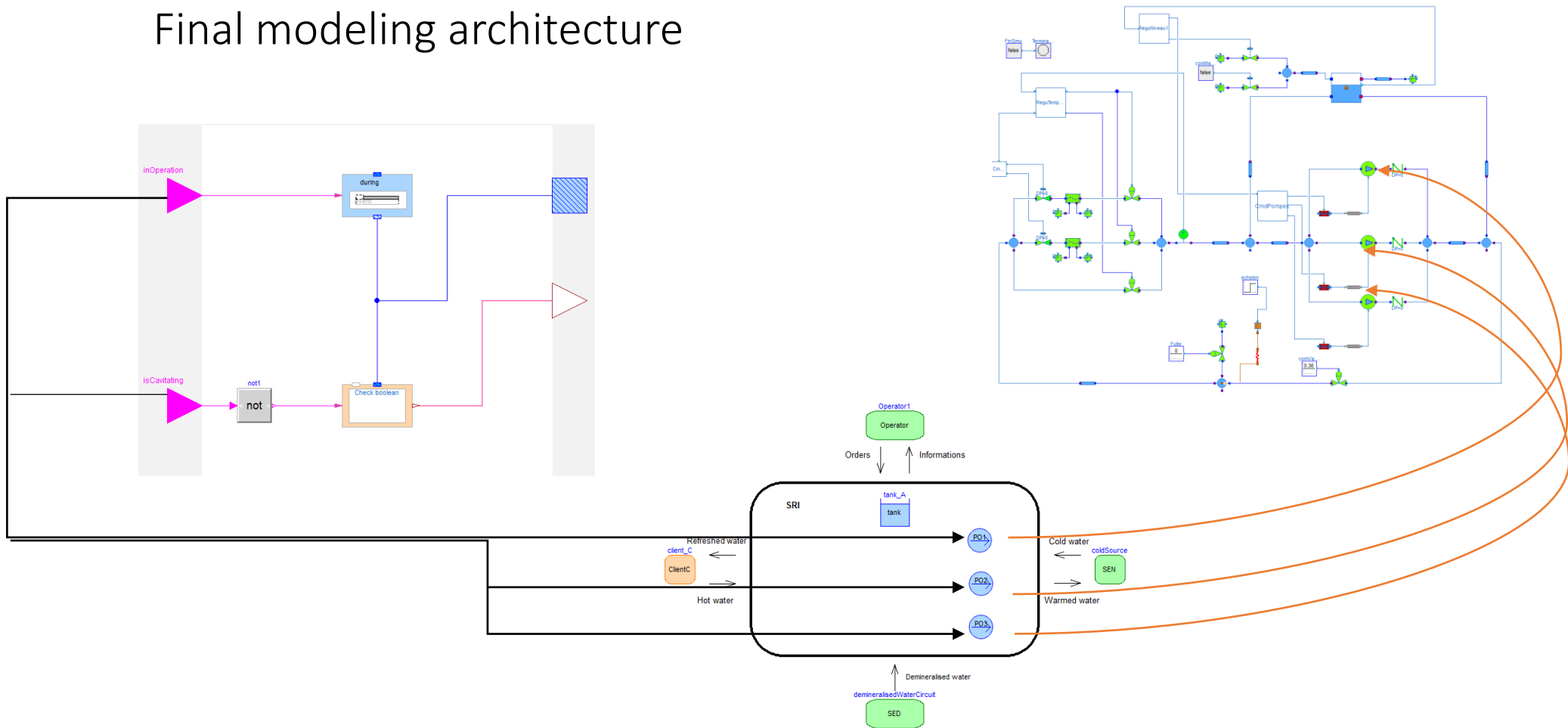
- Set binding $O.s \leftarrow \{ p_1, \dots, p_n \}$
- Variable binding $R.y \leftarrow [H_1, \dots, H_r]$
- Input binding $H_i (u_1, \dots, u_n) \leftarrow (u_1=E_1.x, \dots, u_n=E_n.x)$ for $i = 1$ to $i = r$
- Instance binding = $p \leftarrow \{ e_1, \dots, e_n \}$ for all p in $\text{target}(O.s \leftarrow \{ p_1, \dots, p_n \})$

Algorithm:

For each object p in the set $\{ p_1, p_2, \dots, p_n \}$:

- Find H of lowest rank in $R.y \leftarrow [H_1, \dots, H_r]$ such that $\text{sig}(H) \subset \text{sig}(p \leftarrow \{ e_1, \dots, e_n \})$. The result is $H.y$.
- From the binding $H.y (u_1, \dots, u_n) \leftarrow (u_1=E_1.x, \dots, u_n=E_n.x)$, form symbolically the expression $p.y = H.y (u_1=E_1.x, \dots, u_n=E_n.x)$.
- For each E_i in $\{ E_1, \dots, E_n \}$, assume that there's a unique instance e_i in the target of $p \leftarrow \{ e_1, \dots, e_n \}$ such that $\text{class}(e_i) = E_i$. Keep e_i .
- Replace in $p.y = H.y (u_1=E_1.x, \dots, u_n=E_n.x)$ the classes E_i by the found instances e_i . The result is $p.y = H.y (e_1.x, \dots, e_n.x)$.

Final modeling architecture



- Translation from FORM-L to Modelica needs new translator
- Modelica models may be compiled and run with existing open source and commercial tools

Conclusion and further perspectives

Co-simulation is largely used in complex cyber-physical systems: power plants, aircraft, automobiles, etc. Many factors are taken into account in the modelling & simulation phase: safety & security analysis, rare events and risk analysis, operation & maintenance, functional requirements, socio-economic analysis, ... All these factors can be modelled by appropriate tools and co-simulated.